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## On the mechanism of ADRY agent interaction with the Photosystem II donor side

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The effect of 2-(3-chloro-4-trifluoromethyl)anilino-3,5-dinitrothiophene (ANT 2p), known to be the most powerful compound among ADRY agents (Renger, G. (1972) *Biochim. Biophys. Acta* 256, 428–439), on the decay kinetics of the redox states  $S_2$  and  $S_3$  of the water-oxidizing enzyme system and on the donor component  $D_1$  in Tris-washed chloroplasts has been investigated. The following was found. (a) In isolated spinach chloroplasts without ANT 2p, the decay of  $S_3$  and  $S_2$  can be completely described by a sequence of one-electron-transfer steps:  $S_3 \rightarrow S_2 \rightarrow S_1$ . (b) In the dark state,  $S_0$  is slowly auto-oxidizable with a half-life of more than 5 min in isolated spinach chloroplasts without ANT 2p. (c) Only one ANT 2p molecule per 40 reaction centers of system II is sufficient to induce a significant acceleration of the  $S_2$  and  $S_3$  decay. (d) The dependence on ANT 2p concentration of  $S_2$ - and  $S_3$ -decay rates can be consistently described by a simple kinetic scheme, assuming that ANT 2p acts as a very mobile catalyst within the thylakoid membrane reacting with the water-oxidizing enzyme system independent of its redox state forming a transient complex. The  $S_2$  and  $S_3$  decay induced by ANT 2p occurs via a one-electron-transfer sequence in normal chloroplasts. (e) The numerical evaluation of the scheme reveals a high ANT 2p affinity for the water-oxidizing enzyme system, with a dissociation constant of the order of  $1 \cdot 10^{-7} \text{ M}^{-1}$ . This value closely corresponds with an estimation based on thermoluminescence measurements (Renger, G. and Inoue, Y. (1983) *Biochim. Biophys. Acta* 725, 146–154). The kinetic parameters also suggest a rapid exchange of ANT 2p between the binding sites. (f) Fluorescence measurements obtained in normal chloroplasts in the presence of DCMU led to rate constants for the  $S_2$  decay which correspond to values derived from oxygen yield data. The ANT-2p-induced reduction of  $D_1^{ox}$ , the donor to  $P-680^+$ , was inferred to occur with a larger rate constant than the  $S_2$  decay. Based on these data, ANT 2p is confirmed to be the most efficient reactant with the water-oxidizing enzyme system known so far which allows a very specific kinetic labeling of redox states  $S_2$  and  $S_3$ .

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Abbreviations: DCMU, 3-(3',4'-dichlorophenyl)-1,1'-dimethyl-urea; CCCP, carbonyl cyanide *m*-chlorophenylhydrazine; PS II, Photosystem II; Chl, chlorophyll; Mes, 4-morpholine-ethanesulphonic acid; Tricine, *N*-[2-hydroxy-1,1-bis(hydroxymethyl)ethyl]glycine; ANT 2p, 2-(3-chloro-4-trifluoromethyl)anilino-3,5-dinitrothiophene.

### Introduction

Photosynthetic water oxidation by oxidizing redox equivalents generated via photoreaction at P-680 within the reaction center complex occurs in a four-step univalent redox reaction sequence,

catalyzed at a mangano-protein referred to as a water-oxidizing enzyme system (for a recent review see Ref. 1). The redox states of this enzyme system symbolized by  $S_i$  ( $i$  represents the number of oxidizing equivalents stored in the water-oxidizing enzyme system) are kinetically well-characterized by their lifetimes, but the chemical identification still remains to be clarified. Surprisingly, in dark-adapted chloroplasts, the water-oxidizing enzyme system was found to attain almost exclusively the  $S_1$  redox state, whereas the higher states  $S_2$  and  $S_3$  relax in the dark down to  $S_1$  with half-lifetimes of 40–80 s, including a fast decay of 1–2 s in 20% of all systems [2].  $S_4$  has a comparatively short lifetime of about 1 ms and, in isolated chloroplasts,  $S_0$  becomes very slowly oxidized in the dark with kinetics in the 10 min time domain (for a review see Ref. 3). The lifetimes of states  $S_2$  and  $S_3$  are markedly shortened by chemicals referred to as ADRY agents [4], whereas  $S_1$  is not significantly affected [5]. Based on measurements of average lifetimes as a function of ADRY concentration, the active substances were assumed to act as mobile catalysts for  $S_2$  and  $S_3$  decay by an unknown endogenous electron donor [6]. Recent studies of the effect of ANT 2p on thermoluminescence confirmed a mobile catalyst mechanisms [7]. ADRY agents do not only accelerate the decay of  $S_2$  and  $S_3$  but also increase the relaxation rate of flash-induced signal  $II_t$  [8] and 820 nm absorption changes [9] in Tris-washed chloroplasts completely deprived of their oxygen-evolving capacity. This result led to the conclusion that ADRY agents directly react as redox-active species with the oxidized radical form of the donor component  $D_1$  [8] which, in normal chloroplasts, mediates the electron transfer between the water-oxidizing enzyme system and P-680. This raises the question whether ADRY agents in normal chloroplasts primarily attack  $D_1$  rather than interfere directly with the states  $S_2$  and  $S_3$ . Stoichiometric investigations revealed that ADRY agents do not act as conventional PS II electron donors but become rapidly regenerated, if they really participate in redox reactions. Therefore, regardless of the molecular mechanism, ADRY agents should be considered as catalysts for  $S_2$  and  $S_3$  decay rather than as PS II electron donors. In this sense, ADRY agents are modifiers which can be used for a

unique kinetic labeling of the  $S_2$  and  $S_3$  states in the water-oxidizing mechanism. The present study was performed in order to clarify the reaction mechanism of ADRY agents and to confirm by direct oxygen yield measurements that ANT 2p represents the most specific substance so far known for the modification of  $S_2$  and  $S_3$  lifetimes.

## Materials and methods

Isolation of thylakoids from spinach (*Spinacea oleracea*) was performed as in Ref. 2 except for the centrifugation procedure. Thylakoids were centrifuged at  $8000 \times g$  for 30 s in both steps. The number of intact water-oxidizing enzyme systems was found to be one per approx. 500 chlorophylls, as determined by conventional flash-induced oxygen yield measurements [4].

Oxygen was detected with an unmodulated Joliot-type oxygen electrode [10]. The thylakoid suspension (1 mg Chl/ml) on the Pt electrode was separated from the upper buffer compartment, containing the Ag/AgCl reference electrode, by a single dialysis membrane. Thylakoids were isolated, stored on ice and transferred to the electrode in darkness. After 5 min of equilibration on the electrode, the thylakoids were illuminated with a series of saturating flashes (10  $\mu$ s halfwidth) using a Stroboslave 1539-A (General Radio). The signals were digitally recorded with a Nicolet Explorer III storage oscilloscope. The amplitudes were taken to indicate the amount of oxygen produced. For calculations on relative S-state concentrations, the Kok-model was used (for details see Appendix). In order to prevent effects due to insufficient diffusion through the membrane, thylakoid suspension and buffer solution were directly mixed with ANT 2p. The buffer solution comprised of: 50 mM Tricine-NaOH (pH 7.6)/10 mM NaCl/5 mM  $MgCl_2$ /0.3 M sorbitol. To monitor  $Q_A^-$  oxidation in the presence of DCMU by fluorescence yield changes, fluorescence was excited by a pulsed, green light-emitting diode (1024 pulses, 5  $\mu$ s wide at varying repetition rates) and monitored by an avalanche photodiode (RCA 30872). A digital storage oscilloscope (Nicolet Explorer III) recorded the fluorescence pulses synchronously in the external address advance mode, thus yielding the time-course of  $Q_A^-$  oxidation.  $Q_A$  was reduced

by a single saturating flash (15  $\mu$ s halfwidth, EG & G Flashlite). Chlorophyll concentration was 20  $\mu$ g/ml, DCMU concentration 2  $\mu$ M.

From fluorescence yield changes, relative  $Q_A^-$  concentrations were deduced, accounting for energy transfer between photosynthetic units by a transfer parameter of 0.5 [11].

## Results

### Oxygen yield measurements

Despite ample evidence presented for a univalent redox reaction sequence  $S_3 \xrightarrow{k_{i,3}} S_2 \xrightarrow{k_{i,2}} S_1$  (for a review see Ref. 3), the deactivation mechanism of  $S_2$  and  $S_3$  in the absence of ADRY agents is still a matter of debate, because recent results on *Chlorella* favor a more complex pattern including two 2-electron transfer steps  $S_3 \rightarrow S_1$  and  $S_2 \rightarrow S_0$ , coupled via an unknown component C [12]. In order to test this idea, the  $S_2$  redox state population as a function of dark time after two preillumination flashes, spaced 300 ms apart, has been analyzed (for numerical evaluation of the data see Appendix). The results depicted in Fig. 1 clearly show that at rather short dark times, the  $S_2$  redox state population increases probably due to reductive formation from  $S_3$  in the dark (experiments at pH 6.0 are especially appropriate to reveal the effect clearly,

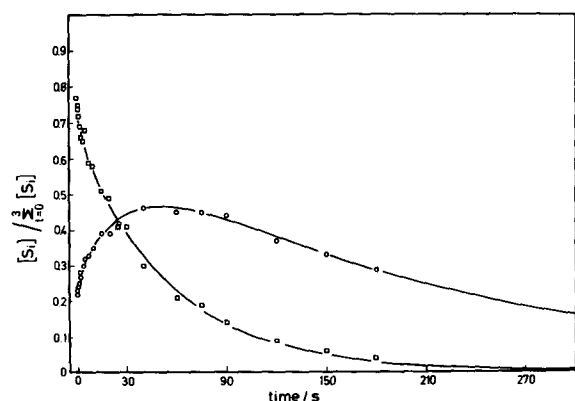


Fig. 1. Decay kinetics of  $S_3$  and  $S_2$  in thoroughly dark-adapted spinach thylakoids after two preflashes. The relative population probabilities of the S states were calculated according to equations derived from the Kok-scheme (see Appendix). Flash frequency was 3.3 Hz; 1 mg Chl/ml at pH 6.0 using Mes instead of Tricine (see Materials and Methods).  $\circ$ , time-course of  $S_2$ ;  $\square$ ,  $S_3$  decay.

because, under these conditions, the  $S_3$  decay is faster than the  $S_2$  decay so that an intermediate accumulation takes place).

The  $S_2$  values (calculated from experimental data according to Eqn. A-4) produced via consecutive reaction from  $S_3$  were fitted according to Eqn. A-6 deduced in the Appendix. Rate constants for  $S_2$  and  $S_3$  decay obtained from this fit corresponded to rate constants for  $S_2$  and  $S_3$  decay determined in separate experiments (see Ref. 2).

This favors a univalent redox reaction sequence for  $S_3$  decay. To corroborate this assumption, the time dependence of  $S_2$  was calculated on the basis of this reaction scheme with rate constants  $k_{i,3}$  and  $k_{i,2}$  determined directly from  $S_3$  and  $S_2$  decay after two and one preillumination flash(es), respectively. The theoretical curve nicely fits the experimental data so that at least in isolated spinach thylakoids the univalent redox reaction sequence dominates the decay of  $S_3$  and  $S_2$ . A two-electron donation to  $S_3$  and  $S_2$ , however, could be possible to a minor extent, if the unknown donor component D, responsible for the fast decay of about 20% of  $S_2$  and/or  $S_3$  [2], is able to react in this manner. However, a previous numerical analysis favored D as a one-electron donor only [2] and, therefore, rules out this possibility. Hence, it seems likely to assume that ADRY agents also accelerate the  $S_2$  and  $S_3$  decay via a univalent redox sequence. To confirm this, analogous experiments were performed in the presence of ANT 2p, which is known as the most powerful ADRY agent [4]. The

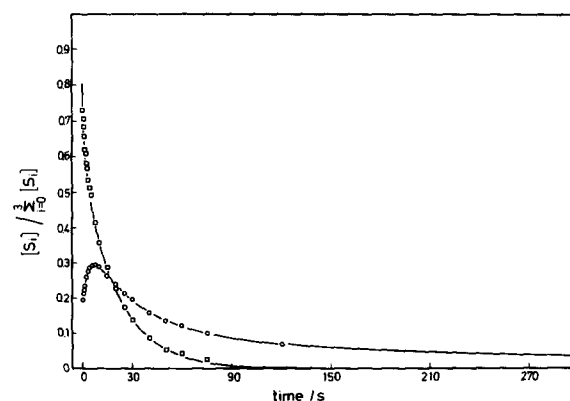


Fig. 2. Decay kinetics of  $S_3$  and  $S_2$  in thoroughly dark-adapted spinach thylakoids after two preflashes with 100 nM ANT 2p at pH 7.6.  $\circ$ , time-course of  $S_2$ ;  $\square$ ,  $S_3$  decay.

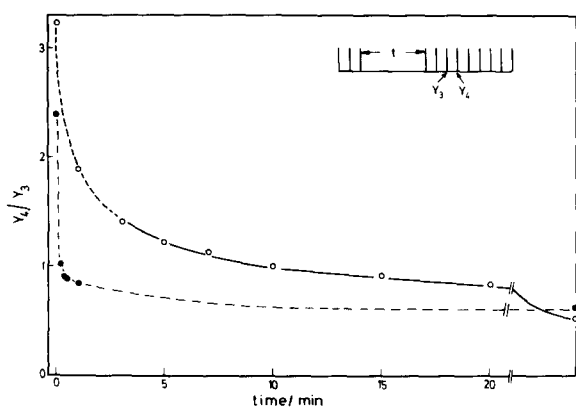
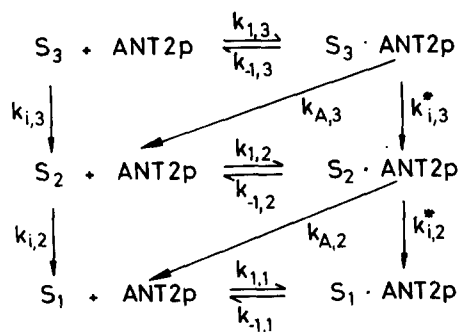


Fig. 3. Ratio of the oxygen yield in the fourth and third flash of a flash sequence after three preflashes as a function of the dark time between preflashes and sequence to monitor the oxidation of  $S_0$  to  $S_1$  in spinach thylakoids, in the absence and presence of 1  $\mu\text{M}$  ANT 2p.

data in Fig. 2 strongly support the suspected mechanism. Previous data led to the conclusion that ADRY agents do not affect the  $S_1$  redox state [5]. In order to analyze this phenomenon more thoroughly, chloroplasts were preilluminated with three flashes giving rise to  $S_0$  accumulation. After a definite dark time, a flash sequence was fired and the ratio of oxygen yields  $Y_4/Y_3$  ( $Y_3$  and  $Y_4$  are the yields caused by the 3rd and 4th flash of sequence) was measured as a function of dark time following the preillumination flashes. The data of



Scheme I

Model for ANT 2p interaction with the redox states of the water-oxidizing enzyme system.  $k_i$  denotes the internal rate constants for  $S_3$  and  $S_2$  decay, respectively;  $k_1$  and  $k_{-1}$  denote the rate constants for binding and release of ANT 2p;  $k_A$  describes the decay of the ANT 2p complexed S state into the dissociated form of the corresponding lower S state.

Fig. 3 show that  $Y_4/Y_3$  decreases with increasing dark time. The steep decline in the presence of ANT 2p during the first minute is almost exclusively due to accelerated  $S_3$  and  $S_2$  decay, giving rise to increased  $S_1$  population. After this decay, only a slight variation is observed. Therefore, ANT 2p does not affect the  $S_1$  state markedly. The present data do not permit to resolve any possible effects on  $S_0$  autooxidation. On the basis of these data, the mechanism described by Scheme I was used for the kinetic analysis of the ADRY effect. This mechanism implies the following assumptions: (a) ANT 2p is highly mobile within the thylakoid membrane so that the ANT 2p molecules rapidly exchange between the different water-oxidizing enzyme systems, (b) if ANT 2p acts as a redox-active catalyst, its recovery rate is much faster than its possible oxidation so that the ANT 2p concentration remains constant, (c) for the sake of simplicity the affinity of ANT 2p to the water-oxidizing enzyme system is considered independent of the redox state of the water-oxidizing enzyme system, (d) the internal decay rate constants,  $k_{i,3}$  and  $k_{i,2}$ , are invariant to ANT 2p binding. In order to analyze the ANT 2p effect within this scheme, the  $S_2$  and  $S_3$  decay kinetics were measured as a function of ANT 2p concentration. The maximum ANT 2p concentration was less than 1 ANT 2p molecule per water-oxidiz-

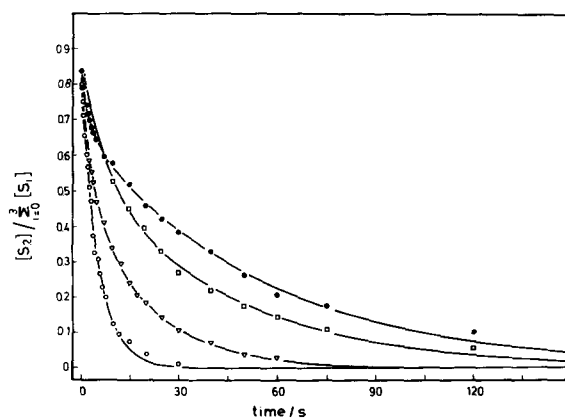


Fig. 4. Decay kinetics of  $S_2$  after one preflash at different ANT 2p concentrations. Symbols represent the experimental data, the curves were calculated on the basis of Scheme I by using a Runge-Kutta-algorithm as described in the Appendix. ●, Control; □, 50 nM; ▽, 200 nM; ○, 500 nM ANT 2p, respectively.

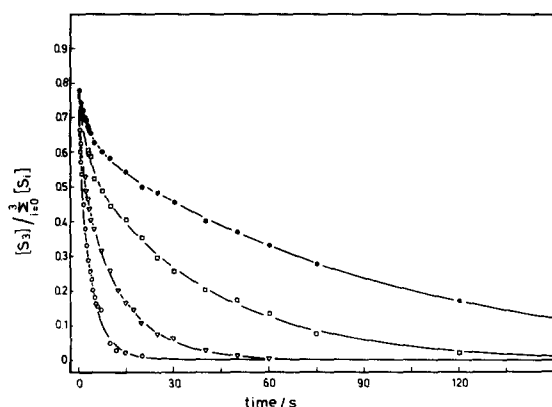


Fig. 5. Decay kinetics of  $S_3$  after two preflashes at different ANT 2p concentrations. Symbols represent the experimental data, the curves were calculated on the basis of Scheme 1 by using a Runge-Kutta-algorithm as described in the Appendix. ●, Control; □, 50 nM; ▽, 200 nM; ○, 500 nM ANT 2p, respectively.

ing enzyme system. The data obtained are depicted in Figs. 4 and 5 (it should be emphasized that equilibration of ANT 2p through the dialysis membrane of the Joliot-type electrode is rather slow so that chloroplasts have been preincubated with definite amounts of ANT 2p concentration). The experimental data for the ANT 2p-induced accelerated  $S_2$  and  $S_3$  decay cannot be described by single exponential kinetics. After suitable numerical parameter fit for one ANT 2p concentration, the constants  $k_1$ ,  $k_{-1}$  and  $k_A$  were obtained (for the sake of simplicity,  $k_{A,3} = k_{A,2} = k_A$ ,  $k_{1,3} = k_{1,2} = k_{1,1} = k_1$  and  $k_{-1,3} = k_{-1,2} = k_{-1,1} = k_{-1}$  are assumed).

All other  $S_3$  and  $S_2$  decay curves with different ANT 2p concentrations could be fitted with these constants varying only the ANT 2p concentration if the parameters are allowed to vary in small intervals:

$$5 \cdot 10^6 \text{ M}^{-1} \cdot \text{s}^{-1} < k_1 < 1 \cdot 10^7 \text{ M}^{-1} \cdot \text{s}^{-1} *$$

$$2 \text{ s}^{-1} < k_{-1} < 3 \text{ s}^{-1}$$

$$0.65 \text{ s}^{-1} < k_A < 0.70 \text{ s}^{-1}$$

This variation of parameter is small enough in

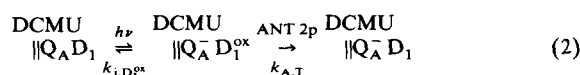
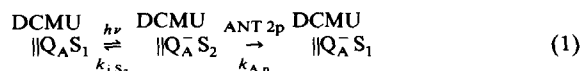
\* These constants are related to the bulk phase ANT 2p concentration.

order to be consistent with the model, especially if it is taken into account that the set of differential equations was solved numerically.

Therefore, this scheme implies an appropriate mechanism for the ADRY effect. It reveals that ANT 2p is an extremely effective and rather mobile species influencing the water-oxidizing enzyme system (see Discussion).

#### Fluorescence measurements

It has been shown previously that different ADRY agents like ANT 2p [7], ANT 2s [5] and CCCP [13] highly retard the recovery of variable fluorescence in DCMU-blocked chloroplasts. This effect has been explained by the assumption that ADRY agents compete with the internal back-reaction between  $S_2$  and  $Q_A^-$ , thus leading to state  $Q_A^-S_1$  which cannot act as a fluorescence quencher. Therefore, fluorescence measurements should provide an independent method for the analysis of the ADRY effect that is also applicable to Tris-washed chloroplasts completely deprived of their oxygen-evolving capacity. In the simplest case, the reaction pattern in the presence of DCMU and ANT 2p can be described by the following schemes for normal (Eqn. 1, see Ref. 7) and Tris-washed (Eqn. 2) chloroplasts:



These equations imply that the ANT 2p concentration remains constant, because the recovery kinetics are much faster than any possible ANT 2p oxidation.

Using this simple scheme, one has to take into account additionally that the flash-induced fluorescence yield change is not completely reversible, i.e., the fluorescence yield does not return to the level before the flash. Thus, apart from the voluntarily added donor (in this case, ANT 2p), another endogenous component has to be regarded to compete with the back-reaction and electron injection by ANT 2p.

Depending on the homogeneity of all Photosystems II, generally two different mechanisms could

be responsible for the above-mentioned partial irreversibility of the fluorescence decay. If all Photosystems II are homogeneous, this phenomenon is due to competitive electron donation, so that in the case of ANT 2p, a three-fold parallel reaction scheme has to be solved. Accordingly, one obtains for the experimentally determined ratio of the oxidized and reduced form of  $Q_A$  at sufficiently long dark time after flash,  $[Q_A^-]_\infty/[Q_A]_\infty$ , the relation:

$$\frac{[Q_A^-]_\infty}{[Q_A]_\infty} = \frac{k_{A,j}}{k_{i,j}} [ANT\ 2p] + \frac{k_D}{k_{i,j}} \quad (3)$$

where  $k_D$  is the rate constant for electron donation by an unknown internal component D which statistically competes in all reaction centers with  $Q_A^-$  for  $S_2$  and/or  $D_i^{ox}$  as an ultimate oxidant;  $k_{A,j}$  and  $k_{i,j}$  as defined by Eqns. 1 and 2 with  $j = n$  or  $T$ , respectively. For Eqn. 3 as well as the following, Eqn. 4, the total amount of  $Q_A$ , i.e.,  $[Q_A^-] + [Q_A]$ , has been normalized to 1. On the other hand, in the case of an extreme heterogeneity, one could assume the existence of two types of PS II, with only one fraction containing a donor for fast  $D_i^{ox}$  reduction. Therefore, only these systems are responsible for the irreversible fluorescence relaxation, because D reacts much faster than  $Q_A^-$  with  $S_2$  and/or  $D_i^{ox}$ . If this reaction remains almost unaffected at moderate or low ANT 2p concentra-

tions, the kinetic analysis leads to:

$$\frac{1}{[Q_A^-]_\infty} = 1 + \frac{k_{i,j}}{k_{A,j}} \frac{1}{[ANT\ 2p]} \quad (4)$$

Fig. 6 shows that in the absence of ANT 2p in Tris-washed chloroplasts,  $Q_A^-$  becomes reoxidized to an extent of 70–80% via a two-phase decay of the order of 10–20 ms (20% of total amplitude) and 200–250 ms (50–60% of total amplitude), while about 20–30% remain reduced, probably due to an alternative donor which competes with  $Q_A^-$  for  $D_i^{ox}$  as the ultimate oxidant. The shape of the fluorescence decay qualitatively corresponds with previous findings [14]. The reoxidation of  $Q_A^-$  in Tris-washed chloroplasts in the presence of DCMU is somewhat faster than in normal chloroplasts, but these differences will not be discussed here. The evaluation of the data in Fig. 6 according to Eqn. 3 is presented in Fig. 7 and shows that in the case of Tris-washed chloroplasts, the experimental data fit a straight line as predicted by the model:  $k_{A,T} = k_{A,T}^0 [ANT\ 2p]$ . The slope in Fig. 7 represents the ratio  $k_{A,T}^0/k_{i,T}$  where  $k_{i,T}$  is the internal rate constant for  $Q_A^-$  reoxidation by  $D_i^{ox}$  in the absence of ANT 2p. If only the dominant phase with  $t_{1/2} = 200$ –250 ms is considered to provide a sufficient approximation of  $k_{i,T}$ , one obtains  $k_{A,T}^0 = 3 \cdot 10^8\ M^{-1} \cdot s^{-1}$ . Analogously, a linear relation is also obtained for  $1/[Q_A^-]_\infty$  as a function of

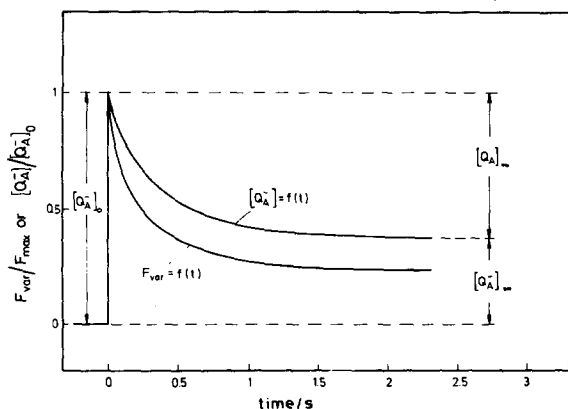


Fig. 6. Time-course of fluorescence yield and  $Q_A^-$  oxidation after one saturating flash in DCMU-treated Tris-washed spinach thylakoids in order to determine the proportion of permanently reduced centers. (chlorophyll concentration 20  $\mu\text{g}/\text{ml}$ ; DCMU concentration 2  $\mu\text{M}$ ).

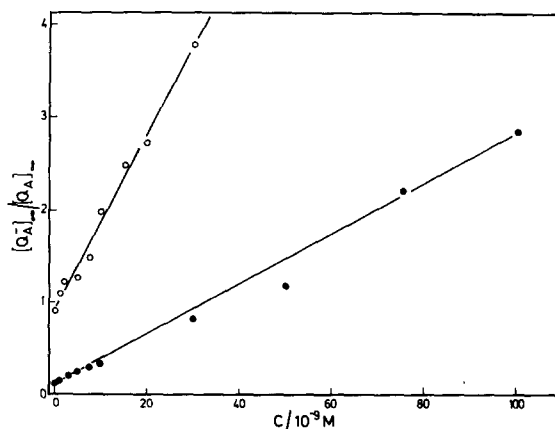


Fig. 7. Ratio of reduced and oxidized acceptor  $Q_A$  as a function of ANT 2p concentration in order to determine the second-order rate constant for the reaction between ANT 2p and the donor side in normal (●) or Tris-washed (○) thylakoids.

1/[ANT 2p] (data not shown). Taking the slope of this curve and using the same  $k_{i,T}$  value as in Eqn. 3, one obtains  $k_{A,T}^0 = (4-5) \cdot 10^7 \text{ M}^{-1} \cdot \text{s}^{-1}$ . Both methods give  $k_{A,T}^0$  values, which differ by almost one order of magnitude. A comparison of the values shows that  $k_{A,T}$  obtained by Eqn. 4 fits markedly better with data obtained by ERP measurements [8]. This might be a hint to favour a heterogeneous mechanism. However, the present kinetic data do not permit an unambiguous conclusion. Regardless of these details, the rate constants determined in this study are higher than those reported in Ref. 8. It remains to be analyzed whether or not the quite different experimental conditions (e.g., difference in the thylakoid concentration of more than two orders of magnitude, presence of DCMU) account for this phenomenon. The analogous experiment performed in normal chloroplasts also gives a straight line.

From the slope, a value of  $k_{A,n}^0 = 1.2 \cdot 10^7 \text{ M}^{-1} \cdot \text{s}^{-1}$  is derived which closely resemble the apparent half-life times obtained by oxygen yield measurements. A similar value is obtained by using Eqn. 4 (data not shown). The results provide additional evidence for the idea that in normal DCMU-treated chloroplasts,  $Q_A^-$  becomes predominantly reoxidized via  $S_2$ . Furthermore, these data show that DCMU binding to the acceptor does not markedly affect the interference of ANT 2p with the donor side of PS II, which agrees with previous conclusions based on thermoluminescence measurements [7].

## Discussion

The present study shows that in isolated spinach chloroplasts the decay of  $S_2$  and  $S_3$  occurs predominantly via a one-electron redox sequence in contrast to recent data reported for algae [12]. This difference might be due to a lack of component C in class II chloroplasts that is claimed to be required for the coupling of two-electron transfer steps between  $S_3$  and  $S_1$ , and  $S_2$  and  $S_0$ , respectively. Further experiments are required to clarify this point.

In agreement with recent data [2], the present results confirm that  $S_1$  is the most stable redox state of dark-adapted isolated spinach chloroplasts. Redox state  $S_0$  was shown to become auto-

oxidized with a half-life time of 5–10 min which slightly accelerates if the negative polarization of the electrode is switched off during dark adaptation. These data clearly show that the redox transition  $S_0 \rightarrow S_1$  markedly differs from the other redox transitions in the water-oxidizing enzyme system with regard to its redox potential as originally reported by Bouges-Bocquet [15]. Therefore, this property should be kept in mind for all models proposed for the mechanism of photosynthetic water oxidation. ANT 2p does not interfere with the properties of the  $S_0 \rightarrow S_1$  transition, except for the differences in transition kinetics.

The ANT 2p-catalyzed  $S_2$  and  $S_3$  decay can be consistently described by a reaction scheme that includes only one-electron transfer steps. It is further assumed that ANT 2p specifically reacts with the water-oxidizing enzyme system Y to form a complex in a reaction independent of the redox state  $S_1$ . The latter idea is based on thermoluminescence measurements revealing that ANT 2p, added to dark-adapted chloroplasts (i.e., being in state  $S_1$ ) and frozen to  $-15^\circ\text{C}$  before flash-induced  $S_2$  generation, also accelerates the  $S_2$  decay [7]. In this case, biphasic decay kinetics are observed. This biphasicity supports the idea that at  $-15^\circ\text{C}$  the mobility of ANT 2p within the thylakoid membrane is drastically reduced so that only systems Y which were complexed with ANT 2p in the dark-adapted  $S_1$  state exhibit an enhanced  $S_2$ -decay rate after flash-induced  $S_2$  formation. The  $S_2$  and  $S_3$  decay kinetics as a function of ANT 2p concentration can be satisfactorily described in Scheme I by numerical evaluation of the same set of kinetic parameters. This analysis leads to interesting conclusions about the dynamics of ANT 2p action: (a) ANT 2p complexes the water-oxidizing enzyme system (including donor  $D_1$ ) with a rather high affinity, but in contrast to the dynamics of many herbicides that bind to the PS II acceptor side [16], ANT 2p rapidly exchanges between different systems Y. (b) The dissociation rate constant of the ANT 2p system Y complex exceeds that of  $S_2$  and  $S_3$  decay, indicating that the ANT 2p effect is an activation-limited rather than a diffusion-limited reaction. (c) The scheme tacitly implies that in the case of ANT 2p being directly involved in a redox reaction, the molecule becomes rapidly restored by an unknown donor so that

ANT 2p actually functions as a catalyst for  $S_2$  and  $S_3$  decay. Therefore, this study confirms our previous conclusion that ADRY agents act as mobile catalysts for  $S_2$  and  $S_3$  decay by an unknown electron donor [6]. That statement did not imply any specific mechanism and especially does not exclude a redox-type action (as extensively discussed in Ref. 17 for the catalytic process, it only means that ADRY agents are not irreversibly consumed as PS II electron donors. Furthermore, it was inferred, that no specific endogeneous electron donor is required for the ADRY agent-catalyzed  $S_2$  and  $S_3$  decay (see Ref. 6). Recently, it was inferred that EPR measurements 'argue against the catalytic model of ADRY reagent action' [8]. This statement, however, appears to be misleading, because it refers to the details of the catalytic mechanism rather than provide a proof to discard the catalytic function of ADRY agents. The present study shows that only one ANT 2p molecule per 40 PS II is sufficient to affect the  $S_2$  and  $S_3$  decay significantly. If one excludes the cooperation of 40 water-oxidizing enzyme systems Y with regard to the lifetimes of  $S_2$  and  $S_3$  (vide infra), the substoichiometric action can be explained only by the assumption that if ANT 2p really acts as reductant for oxidizing equivalents at the PS II donor side, it becomes restored rapidly enough by an endogeneous electron source. This is the typical reaction scheme for a catalytic mechanism where the catalyst (ANT 2p) undergoes a transient redox change. However, it should be emphasized that the postulation that ANT 2p participate in a redox cycle is not at all essential for the basic conclusion that ANT 2p acts as a catalyst for the  $S_2$  and  $S_3$  decay with an unknown endogeneous donor component (or components?). It is quite clear (see Refs. 5, 7, 13) that ANT 2p and other ADRY agents do not affect the internal decay mechanism of  $S_2$  via recombination with  $Q_A^-$ , because in DCMU-blocked chloroplasts, the ANT 2p-catalyzed reduction of  $S_2$  competes with the above-mentioned reaction (see also Fig. 7).

Despite recent evidence for ADRY-induced oxidation of cytochrome *b*-559 and carotenoids (for details see Ref. 8), the nature of the ultimate internal donor component for the ANT 2p-catalyzed  $S_2$  and  $S_3$  decay remains to be identified unambiguously. It was found that at only one

ANT 2p molecule per PS II (500 chlorophylls) the ADRY effect still remains unimpaired, even after 200–300 single turnover flashes. This effect readily excludes cytochrome *b*-559 for stoichiometrical reasons as terminal electron acceptor and also carotenoids, because they are only transiently oxidized.

Another mechanistically important point should be mentioned. The ADRY effect has been sometimes related to lipophilic anions and therefore tetraphenylboron was suggested as 'super ADRY agent' [18]. However, it should be kept in mind that tetraphenylboron becomes irreversibly consumed [19], whereas ADRY agents function as (redox) catalysts in a completely reversible manner at sufficiently low concentrations. Latest data confirm this different behaviour also at very low concentrations of ANT 2p and tetraphenylboron, respectively (Hanssum, B. and Renger, G., unpublished data).

The effect of ANT 2p on the dark-reduction of  $D_1^{ox}$  in Tris-washed chloroplasts raised another question about the mechanism of ADRY agents (see Ref. 9): Do ADRY agents react directly with  $S_2$  and  $S_3$  in normal chloroplasts or do they catalyze  $S_2$  and  $S_3$  reduction indirectly via  $D_1$ ? In the latter case, two alternatives could be distinguished: (a) ADRY agents cause  $S_2$  and  $S_3$  decay via  $D_1^{ox}$  reduction without affecting the redox equilibrium between  $D_1/D_1^{ox}$  and  $S_1/S_2$  and  $S_2/S_3$ , respectively. (b) ADRY agents simultaneously shift the above-mentioned redox equilibrium and catalyze  $D_1^{ox}$  reduction by an internal donor other than  $Q_A^-$ . In principle, both mechanisms should be distinguishable by kinetic measurements. Unfortunately, a possible  $D_1^{ox}$  attack by ADRY agents in normal chloroplasts cannot be detected directly. on the other hand, a comparison of the rates of  $D_1^{ox}$  reduction in Tris-washed chloroplasts with the  $S_2$  and  $S_3$  decay in normal chloroplasts does not permit unambiguous conclusions, because the reactivity of ANT 2p with  $D_1^{ox}$  could be different in both types of chloroplasts due to the loss of at least three surface-exposed polypeptides at the system II donor side in Tris-washed chloroplasts [20]. Therefore, further experiments are required to clarify the mechanistic details of the ADRY effect.

A last point should be briefly discussed. The effect of substoichiometric ANT 2p concentrations



could be also explained by an alternative mechanism to the mobile-catalyst model described by Scheme I. If one assumes that a large number of water-oxidizing enzyme systems share a sequestered domain, which affects the lifetimes of  $S_2$  and  $S_3$ , an ANT-2p-induced modification of this domain by only a few ANT 2p molecules (at the extreme of only one molecule) would be sufficient to change the  $S_2$  and  $S_3$  lifetime of all water-oxidizing enzyme systems Y. Evidence for sequestered proton and chloride domains around the water-oxidizing enzyme systems Y have been reported recently [21–23]. However, an ANT 2p attack on these proton domains appears very unlikely as the cause of the observed ADRY effect. It is known that gramicidin equilibrates the sequestered domain [23] with the bulk phase. In contrast to that, the lifetimes of  $S_2$  and  $S_3$  remain invariant to rather high gramicidin concentrations that include a drastic increase of  $H^+$  permeability in the thylakoid membrane [24] and therefore should also permit the significantly slower equilibration of the sequestered domains [23].

These arguments, of course, do not totally exclude a domain mechanism for the ADRY effect, but for the time being a mobile catalyst mechanism appears more attractive, because it describes the experimental data consistently. Regardless of the mechanistic details of the ADRY effects, one might speculate, that the sequestered domains if they really exist in class-II particles facilitate the ANT 2p diffusion between different water-oxidizing enzyme systems. Another important implication of the present study should be emphasized: conclusions drawn from substoichiometric titration experiments have to be considered with care unless the mode of action of the reagents which were used for the experiment is unambiguously resolved in its mechanistic details.

## Appendix

### Determination of $S_2$ and $S_3$ decay kinetics

The  $S_2$  and  $S_3$  population can be generally calculated from experimental data according to Kok's scheme using the recursion equations:

$$Y_n = (1 - \alpha)S_{3,n-1} + \beta S_{2,n-1} \quad (A-1)$$

and:

$$S_n = K S_{n-1} \quad (A-2)$$

Where  $Y_n$  is the  $O_2$  yield caused by the  $n$ th flash of a train,  $S_{2,n-1}$  and  $S_{3,n-1}$  is the probability of  $S_2$  and  $S_3$  population just before the  $n$ th flash,  $S_n$  and  $S_{n-1}$  are state vectors and  $K$  the transformation matrix of the  $S_i$  states (for details, see Ref. 25),  $\alpha$  and  $\beta$  represent the probability of misses and double hits, respectively. After two preillumination flashes, the population of state  $S_0$  is rather low and can be neglected. Furthermore, if a first-order approximation for  $\alpha$  and  $\beta$  terms is applied, the following equations are obtained:

$$S_3(t_d) = \frac{0.25}{1 - \alpha} \left[ Y_1(t_d) - \frac{\beta Y_2(t_d)}{1 - \alpha} \right] \quad (A-3)$$

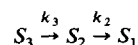
$$S_2(t_d) = \frac{0.25}{1 - 2\alpha - \beta} \left[ Y_2(t_d) - \frac{\alpha Y_1(t_d)}{1 - \alpha} - \frac{\beta Y_3(t_d)}{1 - 3\alpha} \right] \quad (A-4)$$

with  $S_2(t_d)$  and  $S_3(t_d)$  the normalized population of  $S_2$  and  $S_3$ , respectively, at dark time  $t_d$  after two preillumination flashes, and  $Y_i(t_d)$  the oxygen yield caused by the  $i$ th flash of the train starting at  $t_d$  after two preillumination flashes ( $i = 1, 2, 3$ ).

The numerical calculation was performed with values  $\alpha = 0.11$ ,  $\beta = 0.03$  and by definition of the steady-state flash yield:

$$\frac{1}{10} \sum_{i=1}^{10} Y_i = 0.23$$

The decay kinetics of  $S_2$  and  $S_3$  were calculated on the basis of the one-electron transfer sequence:



and taking into account the fast  $S_2$  and  $S_3$  decay arising in a fraction (symbolized by 'a') of the centers by an as yet not identified internal donor component (see Ref. 2):

$$S_3(t_d) = S_3(0) [a \cdot \exp(-k_{3,fast} \cdot t_d) + (1 - a) \cdot \exp(-k_{3,slow} \cdot t_d)] \quad (A-5)$$

$$S_2(t_d) = S_3(0) \left\{ \frac{a \cdot k_{3,slow}}{k_{2,slow} - k_{3,fast}} [\exp(-k_{3,fast} \cdot t_d) \right.$$

$$\begin{aligned}
& -\exp(-k_{2,\text{slow}}t_d)] + \frac{(1-a)k_{3,\text{slow}}}{k_{2,\text{slow}} - k_{3,\text{slow}}} \\
& \times [\exp(-k_{3,\text{slow}}t_d) - \exp(-k_{2,\text{slow}}t_d)] \Big\} \\
& + S_2(0)[a \cdot \exp(k_{2,\text{fast}}t_d) - (1-a) \cdot \exp(k_{2,\text{slow}}t_d)]
\end{aligned} \quad (\text{A-6})$$

For the sake of simplicity, the small percentage of donor consumption between the first and second preillumination flash has been neglected. The kinetic parameters  $k_{2,\text{fast}}$ ,  $k_{2,\text{slow}}$ ,  $k_{3,\text{fast}}$  and  $k_{3,\text{slow}}$  as well as factor 'a' were experimentally determined as described in Ref. 2.

*Numerical evaluation according to Scheme I of  $S_2$  and  $S_3$  decay kinetics as a function of ANT 2p concentration*

Scheme I implies the following set of differential equations for  $S_3$  and  $S_2$  decay in the presence of ANT 2p:

$$\frac{d[S_3]}{dt} = -(k_{i,3} + k_{1,3}[\text{ANT 2p}])[S_3] + k_{-1,3}[S_3 \cdot \text{ANT 2p}] \quad (\text{A-7})$$

$$\begin{aligned}
\frac{d[S_3 \cdot \text{ANT 2p}]}{dt} &= k_{1,3}[S_3][\text{ANT 2p}] \\
&- (k_{-1,3} + k_{i,3}^* + k_{A,3})[S_3 \cdot \text{ANT 2p}] \quad (\text{A-8})
\end{aligned}$$

$$\begin{aligned}
\frac{d[S_2]}{dt} &= k_{i,3}[S_3] + k_{-1,2}[S_2 \cdot \text{ANT 2p}] \\
&+ k_{A,3}[S_3 \cdot \text{ANT 2p}] - (k_{i,2} + k_{1,2}[\text{ANT 2p}])[S_2]
\end{aligned} \quad (\text{A-9})$$

$$\begin{aligned}
\frac{d[S_2 \cdot \text{ANT 2p}]}{dt} &= k_{1,2}[S_2][\text{ANT 2p}] + k_{i,3}^*[S_3 \cdot \text{ANT 2p}] \\
&- (k_{-1,2} + k_{i,2}^* + k_{A,2})[S_2 \cdot \text{ANT 2p}]
\end{aligned} \quad (\text{A-10})$$

$$\begin{aligned}
\frac{d[S_1]}{dt} &= k_{i,2}[S_2] + k_{-1,1}[S_1 \cdot \text{ANT 2p}] + k_{A,2}[S_2 \cdot \text{ANT 2p}] \\
&- k_{1,1}[S_1][\text{ANT 2p}]
\end{aligned} \quad (\text{A-11})$$

$$\begin{aligned}
\frac{d[S_1 \cdot \text{ANT 2p}]}{dt} &= k_{1,1}[S_1][\text{ANT 2p}] + k_{i,2}^*[S_2 \cdot \text{ANT 2p}] \\
&- k_{-1,1}[S_1 \cdot \text{ANT 2p}]
\end{aligned} \quad (\text{A-12})$$

$$\begin{aligned}
\frac{d[\text{ANT 2p}]}{dt} &= -(k_{1,1}[S_1] + k_{1,2}[S_2] + k_{1,3}[S_3])[\text{ANT 2p}] \\
&+ (k_{-1,3} + k_{A,3})[S_3 \cdot \text{ANT 2p}] \\
&+ (k_{-1,2} + k_{A,2})[S_2 \cdot \text{ANT 2p}] \\
&+ k_{-1,1}[S_1 \cdot \text{ANT 2p}]
\end{aligned} \quad (\text{A-13})$$

The initial concentration of [ANT 2p] after addition to dark-adapted chloroplasts is obtained by using mass balance equation:

$$[\text{ANT 2p}]_0 = [\text{ANT 2p}]_{\text{free}} + [S_1 \cdot \text{ANT 2p}]$$

and:

$$[S_1] + [S_1 \cdot \text{ANT 2p}] = 1 \quad (\text{A-14})$$

as well as the equilibrium condition:

$$\frac{k_{-1}}{k_1} = \frac{[S_1][\text{ANT 2p}]}{[S_1 \cdot \text{ANT 2p}]} \quad (\text{A-15})$$

The numerical evaluation of this set of differential equations was performed on a Hewlett-Packard 9825 B desk calculator using a Runge-Kutta-algorithm with dynamic subintervals. A 20% fraction the  $S_2$  and  $S_3$  population was considered to decay via fast internal kinetics (see Ref. 2) during the course of integration.

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